

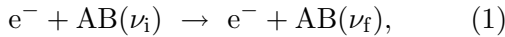
NUMERICALLY SOLVABLE MODEL OF LOW-ENERGY RESONANT  
ELECTRON-MOLECULE COLLISIONS WITHOUT BORN-OPPENHEIMER APPROXIMATION

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We suggest a simple model with one nuclear and one electronic degree of freedom that can be solved exactly (without the Born-Oppenheimer approximation) employing the exterior complex scaling method and the finite-element method with discrete variable representation [1]. Using this model it is possible to study basic electron-molecule collisions: the vibrational excitation of a molecule by electron impact



and the dissociative electron attachment to a molecule



The full Hamiltonian of our model is

$$H = -\frac{1}{2\mu} \frac{d^2}{dR^2} - \frac{1}{2} \frac{d^2}{dr^2} + V(R, r) \quad (3)$$

where  $\mu$  is the reduced mass of a molecule,  $R$  is the distance between atoms and  $r$  is the distance of the electron from the molecule. The potential  $V(R, r)$  is written in the form

$$V(R, r) = V_0(R) - \lambda(R)e^{-\alpha r^2} + \frac{J_e(J_e + 1)}{2r^2} \quad (4)$$

where  $V_0(R)$  is a Morse potential for the vibrational motion of the neutral molecule, the second term describes the interaction between the molecule and the electron and the centrifugal term with  $J_e \neq 0$  is added to provide a resonant behavior in our system.

The interaction of the electron with the molecule was chosen to possess one bound state for large  $R$  (dissociative attachment channel) that becomes a resonance state for a given  $R = R_c$  (crossing point of the potential energy curves of  $AB$  and  $(AB)^-$ ). Choosing  $\lambda(R)$  appropriately we can get different types of resonance curves, with or without potential wells, to simulate various real systems.

The suggested model is used to compare various approaches to low-energy resonant electron-molecule collisions, for example the boomerang model [2] or the nonlocal resonance model [3].

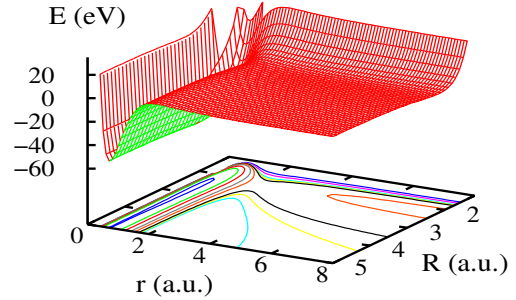


Fig. 1. Potential  $V(R, r)$  of the NO-like model adjusted to data of [4].

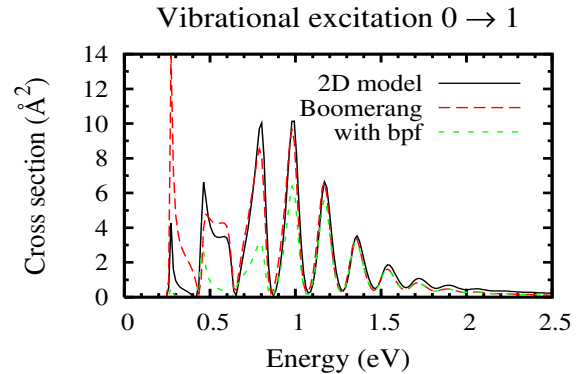


Fig. 2. Comparison of vibrational excitation cross sections for NO-like model obtained using the full 2D model (solid line) and the boomerang model without (long dashed line) and with (short dashed line) barrier penetration factor.

## References

- [1] C.W. McCurdy, M. Baertschy, and T.N. Rescigno, *J. Phys. B* **37**, R137 (2004).
- [2] L. Dubé and A. Herzenberg, *Phys. Rev. A* **20**, 194 (1979).
- [3] W. Domcke, *Phys. Rep.* **208**, 97 (1991).
- [4] C.S. Trevisan, K. Houfek, Z. Zhang, A.E. Orel, C.W. McCurdy, and T.N. Rescigno, *Phys. Rev. A* **71**, 052714 (2005).